## Regular Language Questions

# Define NFAs for the following over the alphabet $\{a, b\}$ 

- $\{w$ | length( $w$ )=3 or $w$ is all a's $\}$
- $\{w \mid w$ consists of alternating a's and b's $\}$
- $\{w \mid w$ is any string except "aba" $\}$
- $\{w \mid w=x \bullet y$ where $x$ is an even number of $a$ 's and y is an odd number of b 's \}


## 1. Which of the following are correct

A. Every DFA is a NFA.
B. If a language, L , is recognized by a DFA there is an NFA that recognizes $L$ as well.
C. Every NFA is a DFA.
D. Every language is recognized by either an NFA or a DFA.

## 2. True or False

- The following DFA $\left(\mathbf{Q}, \boldsymbol{\Sigma}, \boldsymbol{\delta}, \mathbf{q}_{\boldsymbol{0}}, \mathbf{F}\right)$ recognizes all strings of even length over the alphabet $\{\mathrm{a}, \mathrm{b}\}$

$$
\begin{gathered}
Q=\{1,2,3\} \\
\Sigma=\{a, b\} \\
\delta 1 a->2 \\
1 \mathrm{~b}->2 \\
2 \mathrm{a}->3 \\
2 \mathrm{~b}->3 \\
3 \mathrm{a}->2 \\
3 \mathrm{~b}->2 \\
\mathbf{q}_{0}=1 \\
\mathbf{F}=\{3\}
\end{gathered}
$$



## 3. True or False

- $S$ is a prefix of $T$ if there exists another string $R$, such that $S \bullet R=T$
- Given a DFA $\mathrm{M}=\left(\mathbf{Q}, \mathbf{\Sigma}, \boldsymbol{\delta}, \mathbf{q}_{\mathbf{0}}, \mathbf{F}\right)$ that recognizes the language $L$. The following is a DFA that recognizes the prefixes of $L$.
- $M_{\text {prefix }}=\left(\mathbf{Q}, \Sigma, \boldsymbol{\delta}, \mathbf{q}_{0}, F_{2}\right)$
- $\mathbf{F}_{\mathbf{2}}=\left\{q \mid q \in Q\right.$ and there is a path from $\mathbf{q}_{0}$ to $\left.q\right\}$


## 4. True or False

- $T$ is a suffix of $S$ iff
- Exists string $Q$ such that $Q \bullet T=S$

If $W$ is a regular language, then is the language $\{q \mid w \in W$ and $q$ is a suffix of $w\}$ regular?

## 5. Are comments Regular?

- In certain languages, comment appear between delimiters. For example /* this is a comment */
Where "/*" and "*/" are the delimiters.
A comment must begin with "/*" and end with "*/" but have no intervening "*/".
Assume the alphabet $=\left\{a, b,{ }^{*}, /\right\}$


## 6. True or False

- Let $w^{R}$ be the reversal of the string $w$
- If $T$ is a regular language, is the language
$-\left\{x x^{R} \mid x \in T\right\}$ regular?

